

Assignment 2:  
Introduction to *Mathematica*  
*Introduction to Data Analysis for Physics*

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## Submission Requirements

Submit the assignment to [data.analysis.physics@gmail.com](mailto:data.analysis.physics@gmail.com) by Wednesday at 5pm. Just submit the *Mathematica* document you create (typically a .nb file).

## Problem 1

To start, let's make a simple set of data and use some of the stylistic options to make a graph exactly the way we want. Start with

```
data = Table[{i, Sin[.1 i]}, {i, 0, 100}]
```

and create a plot that matches the one in Figure 1. You may find the `Style` function useful (updated in reading - just above the Practice Problem for Simple Plots). To create the plot, I had to use `PlotStyle`, `PlotRange`, `AxesLabel`, `PlotLabel`, and `AxesStyle`.

## Problem 2

Combinatorics are an important facet of probability, which occasionally shows up for physics problems in quantum mechanics / thermodynamics / etc. The `Binomial[n,m]` function is the same as

$$\binom{n}{m} = \frac{n!}{m!(n-m)!}$$

To better explore matrix operations (and maybe learn some combinatorics), let's create a 10x10 matrix with binomial coefficients:

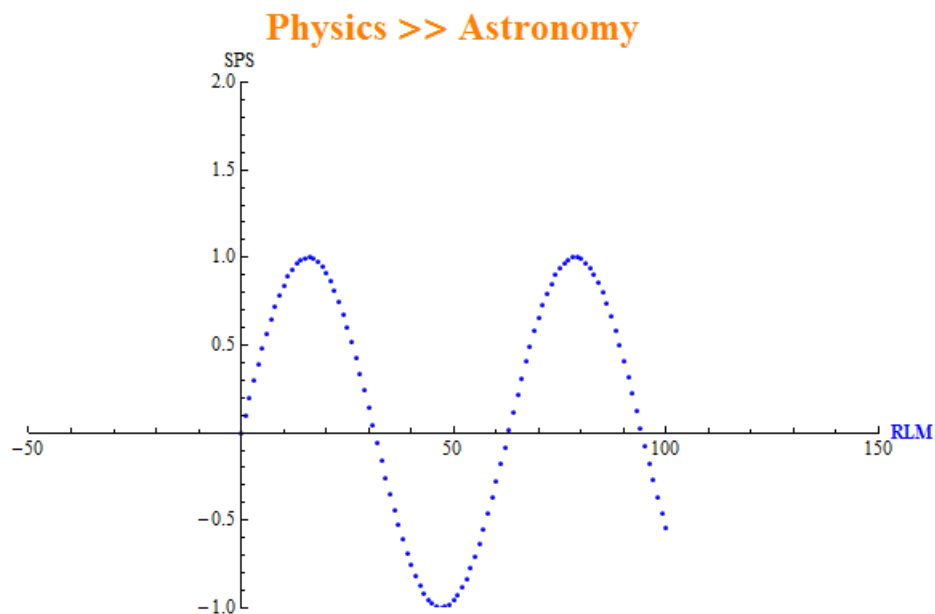


Figure 1: Graph to imitate.

$$A = \begin{pmatrix} 1 & 0 & 0 & 0 & 0 & & \\ 1 & 1 & 0 & 0 & 0 & & \\ 1 & 2 & 1 & 0 & 0 & \dots & \\ 1 & 3 & 3 & 1 & 0 & & \\ 1 & 4 & 6 & 4 & 1 & & \\ & \vdots & & & & \ddots & \end{pmatrix}$$

In other words, that  $A_{r,c} = \binom{r-1}{c-1}$ , where  $r$  is the row (starting at 1) and  $c$  is the column (starting at 1). Use the `Binomial` function to create this matrix (will need to also use the `Table` command). In the problems below, use the `Total` command with sections of the matrix to compute the following quantities. Each is left as a function of  $k$ , an integer corresponding to the total number of elements in the section. So, to check your work, just plug in different values of  $k$  to make sure the quantity you're trying to compute with the matrix matches the mathematical result of sums of the binomial distribution. (*Note:* in *Mathematica*, with the `Binomial[n,m]` function, if  $m > n$ , the function is just 0)

a

$$\sum_{i=0}^k \binom{i}{1} = \frac{k(k+1)}{2}$$

b

$$\sum_{i=0}^k \binom{k}{i} = 2^k$$

### Problem 3

With the data below, find a way to plot the relationship between the second grade (taken at the end of the semester for this fictional class) and the first grade multiplied by attendance (scale attendance from a percent to a fraction while you're at it). For clarity, go ahead and make the points `Medium` in size, and label the graph appropriately.

```
class = [{"Name", "Grade 1", "Grade 2", "Attendance"},  
        {"Michael", 95, 93, 20},  
        {"George", 95, 87, 90},  
        {"Oscar", 50, 78, 60},  
        {"Lucille", 100, 0, 10},  
        {"Lindsay", 40, 40, 40},  
        {"Steve", 0, 0, 100},  
        {"Barry", 50, 50, 50},  
        {"Ron", 100, 100, 57},  
        {"Rita", 10, 20, 97},  
        {"Sally", 100, 100, 100},  
        {"Maggie", 77, 76, 75}];
```